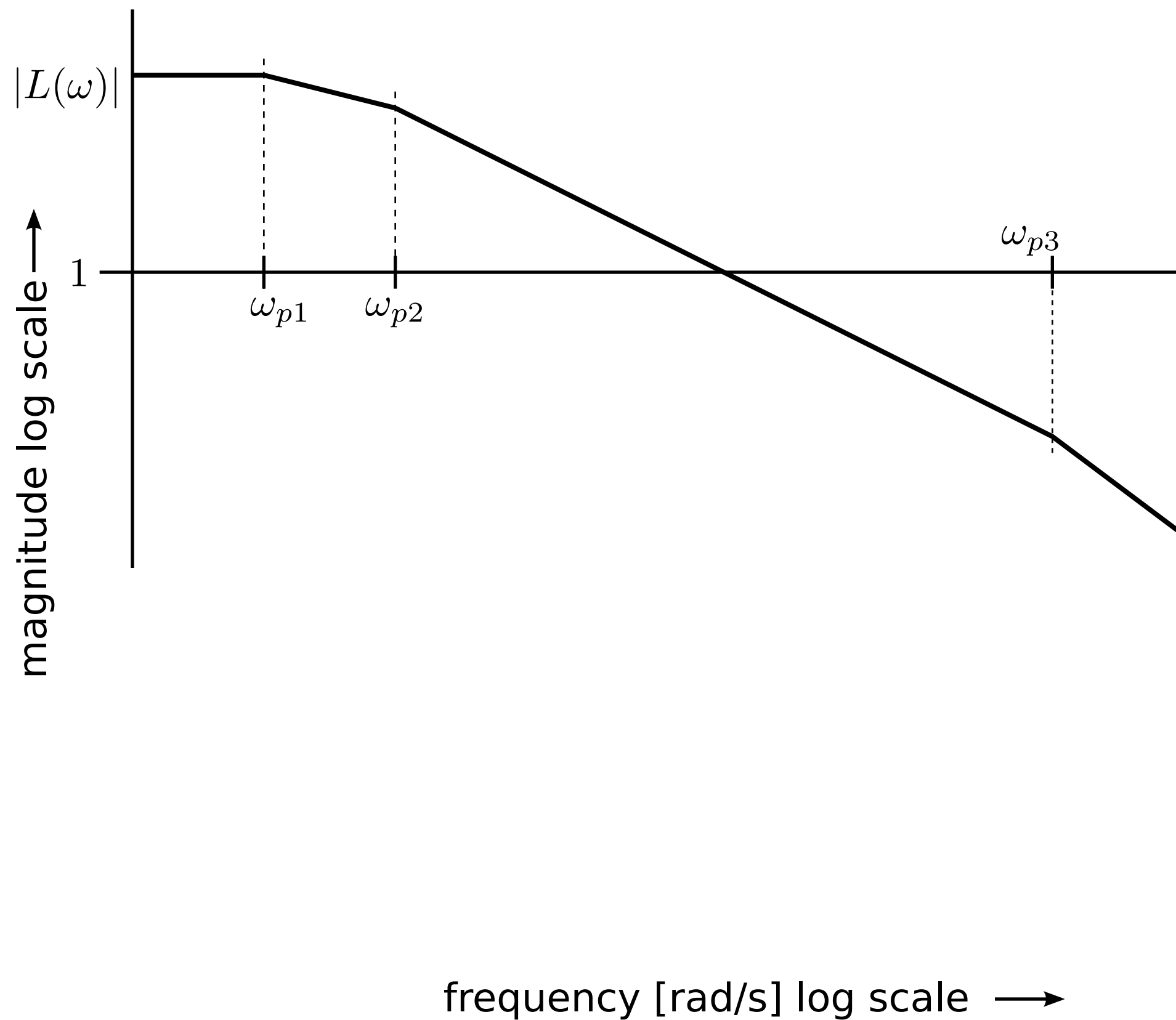


Structured Electronic Design

Dominant and non-dominant poles in feedback systems

Anton J.M. Montagne

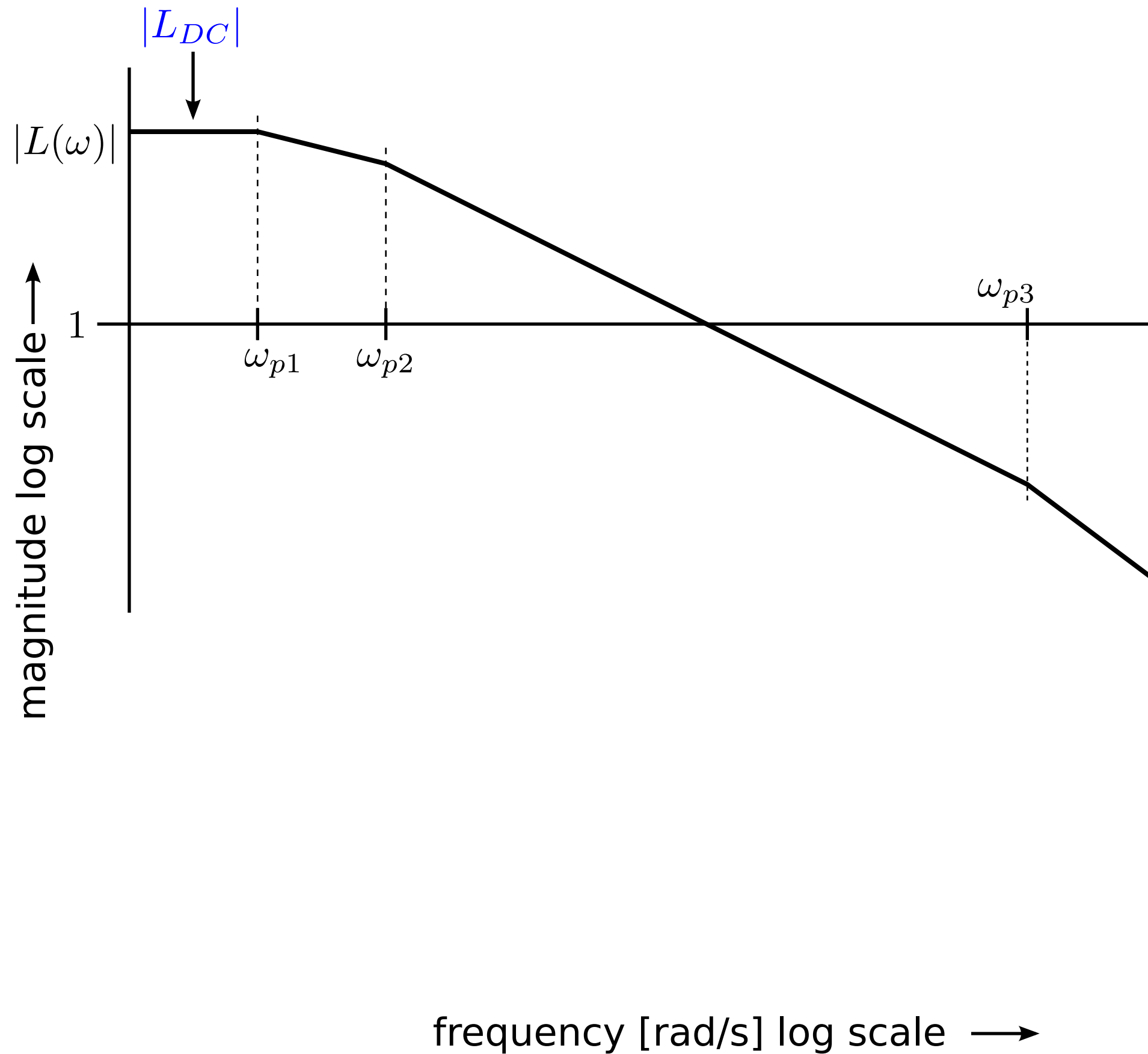
Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

— $|L(\omega)|$

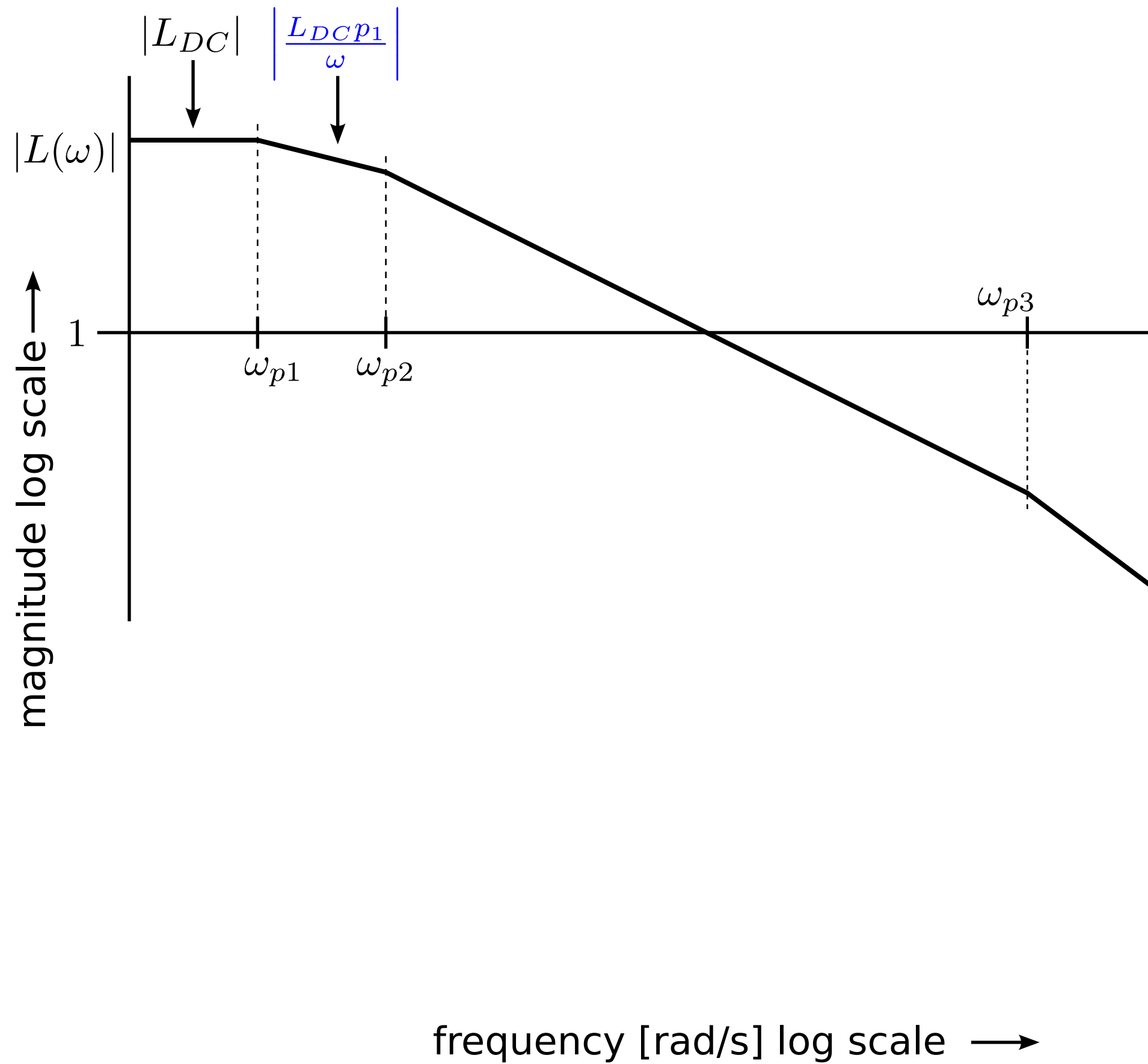
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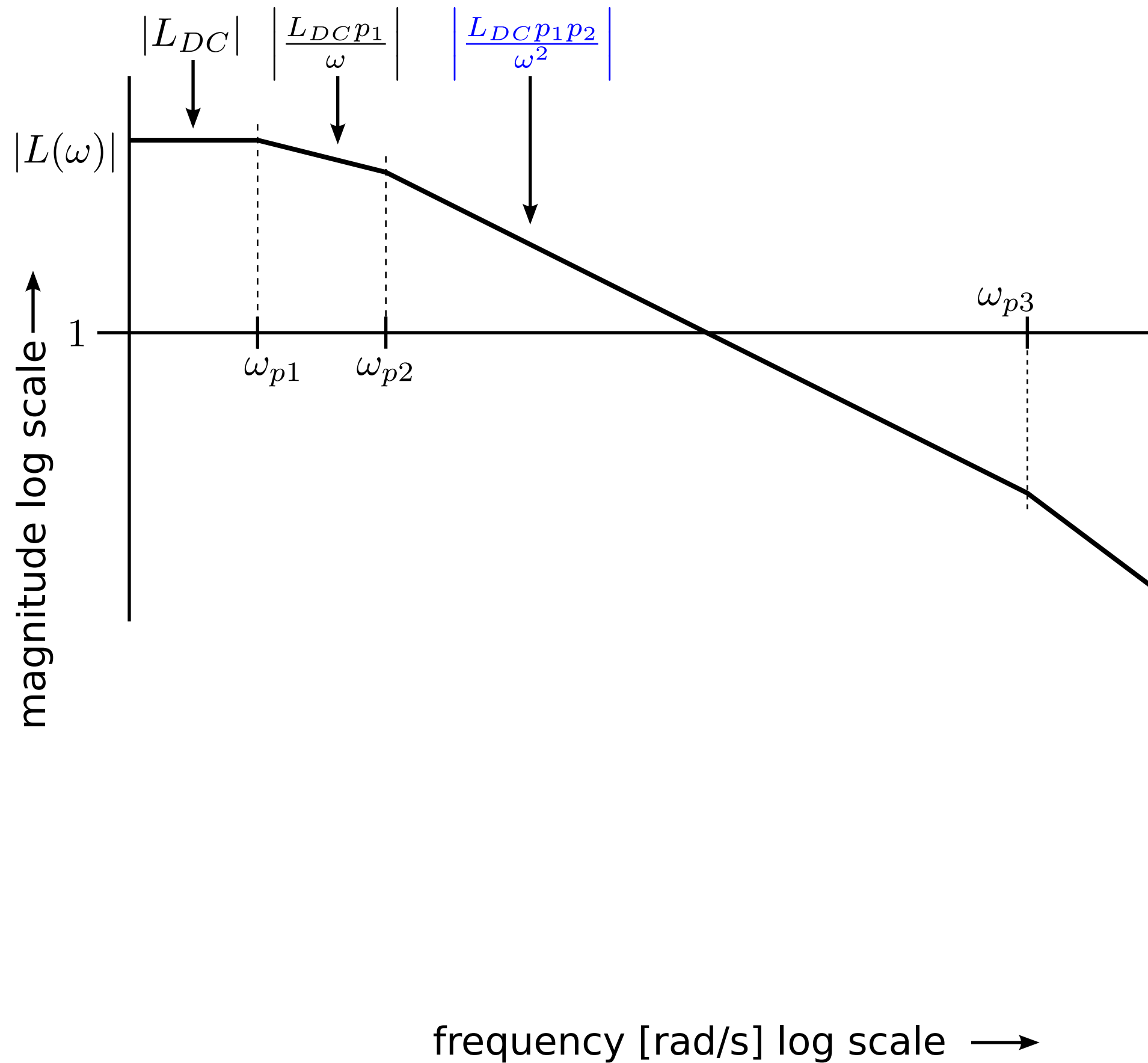
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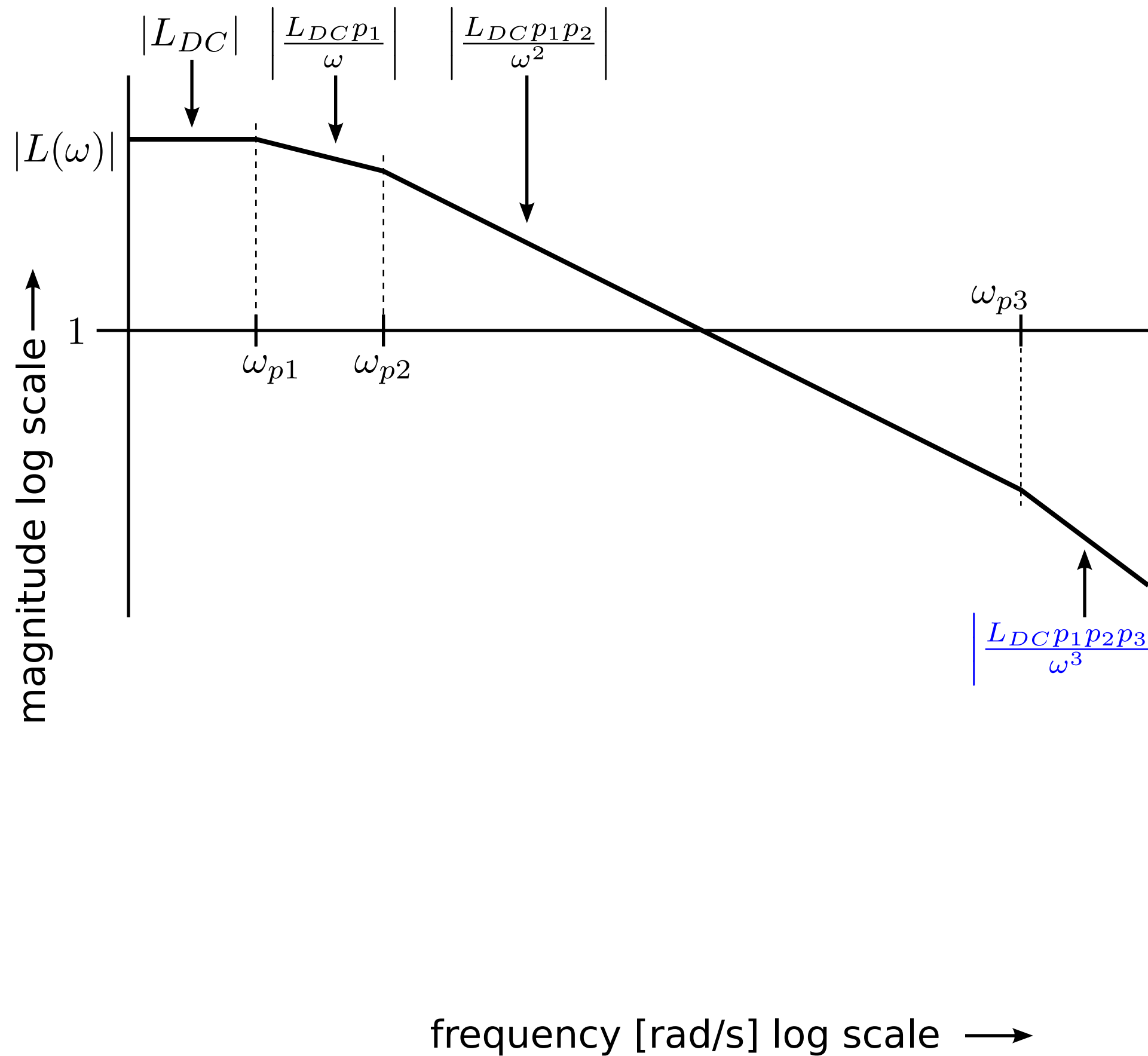
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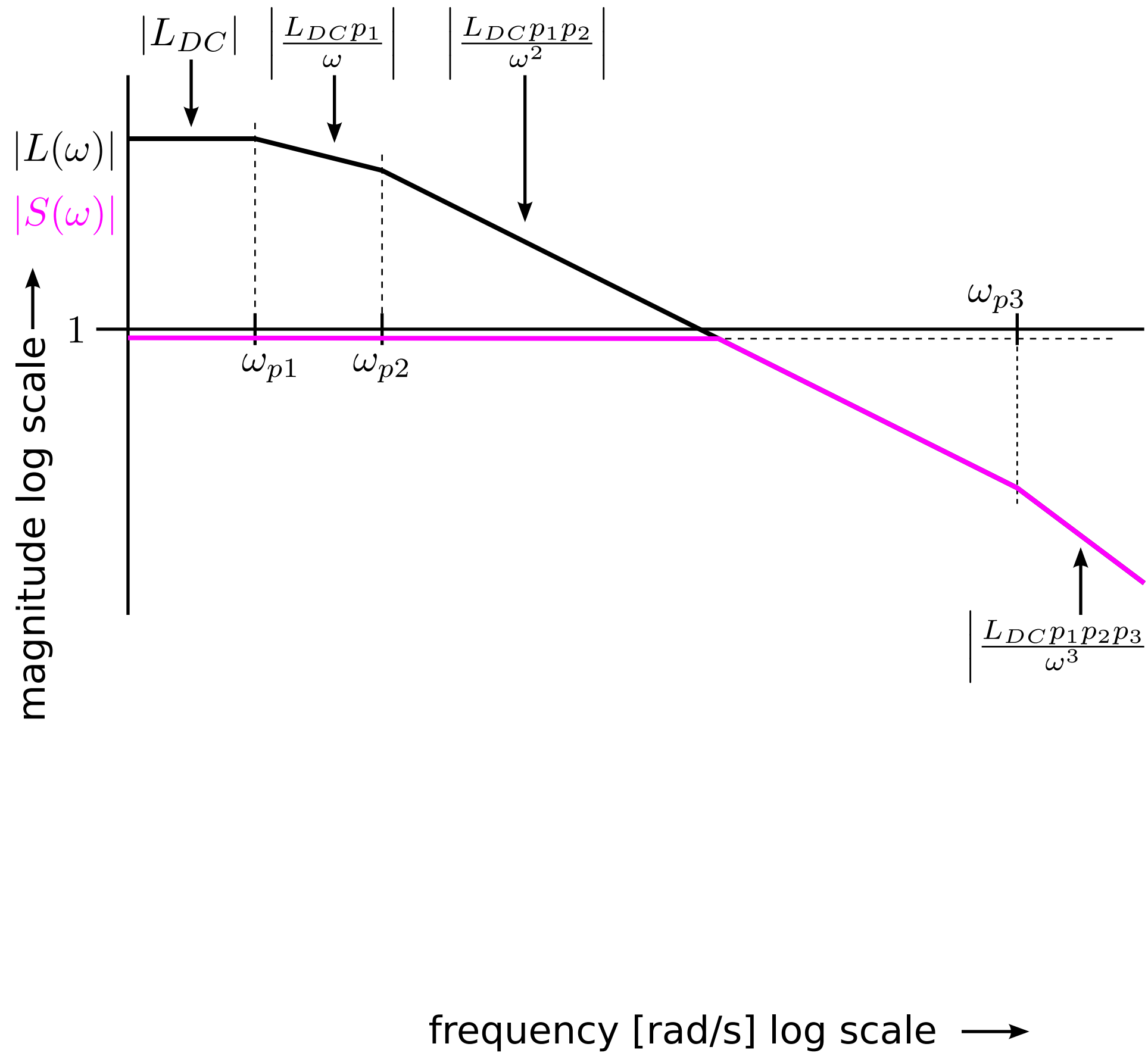
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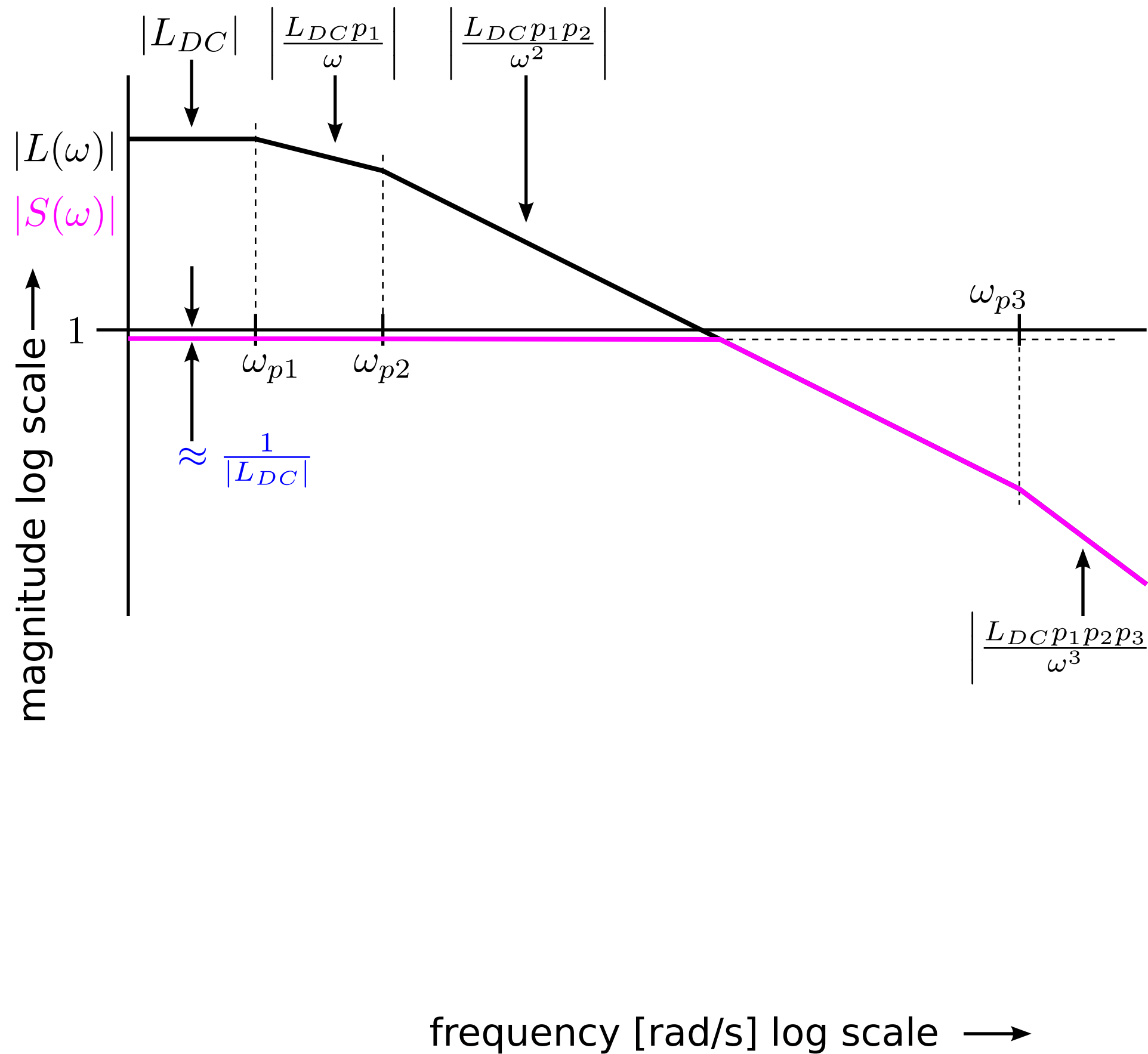
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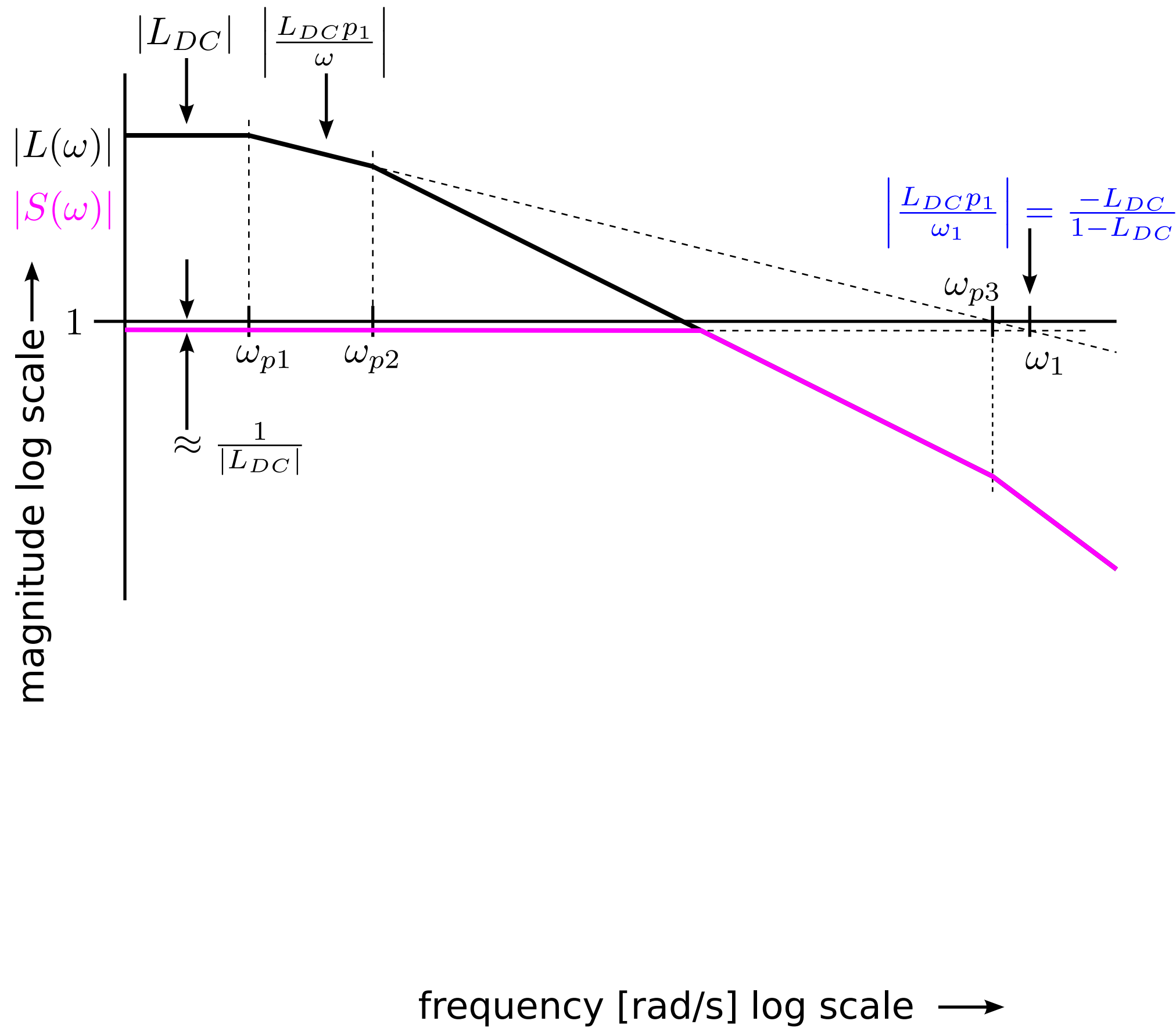
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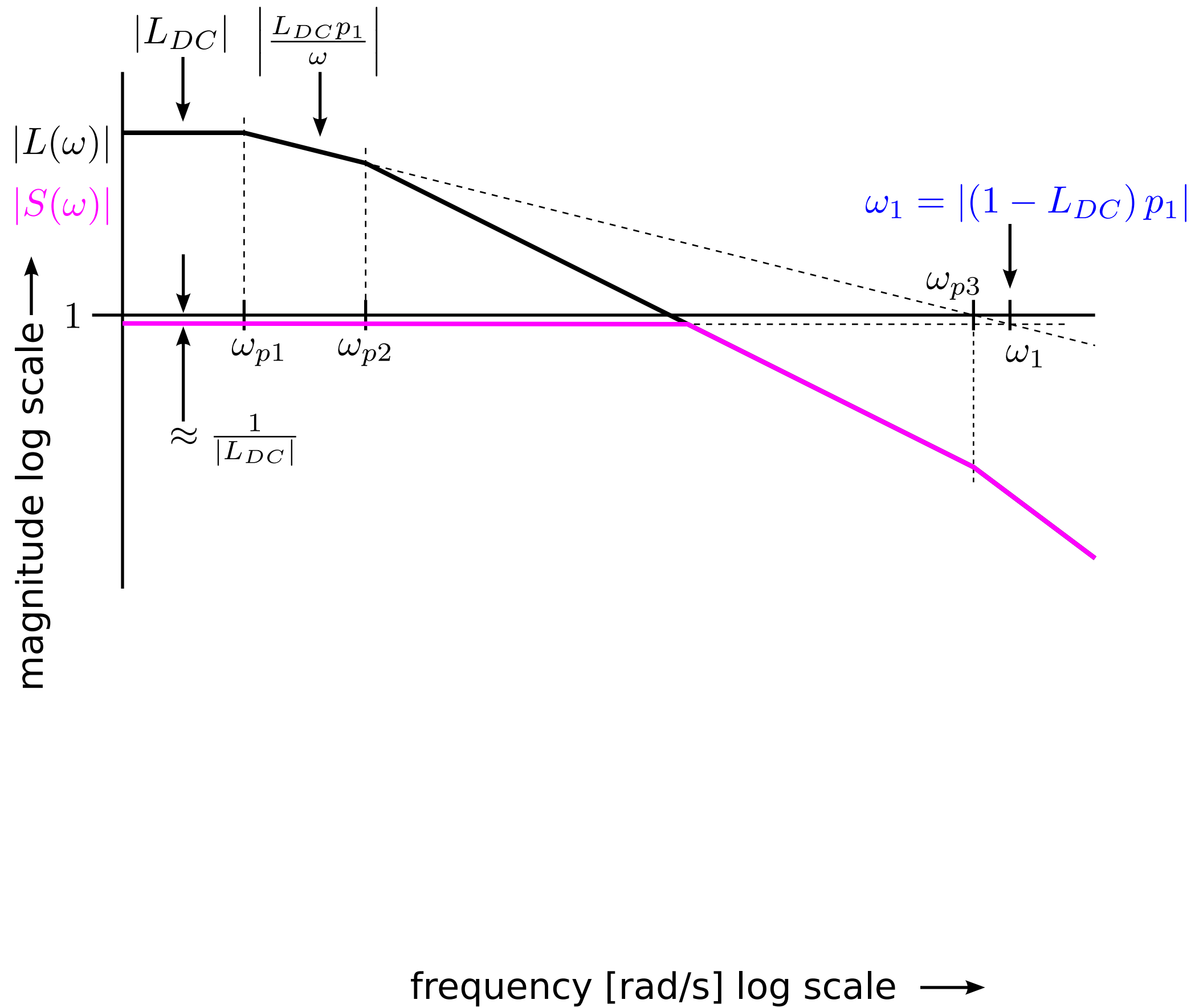
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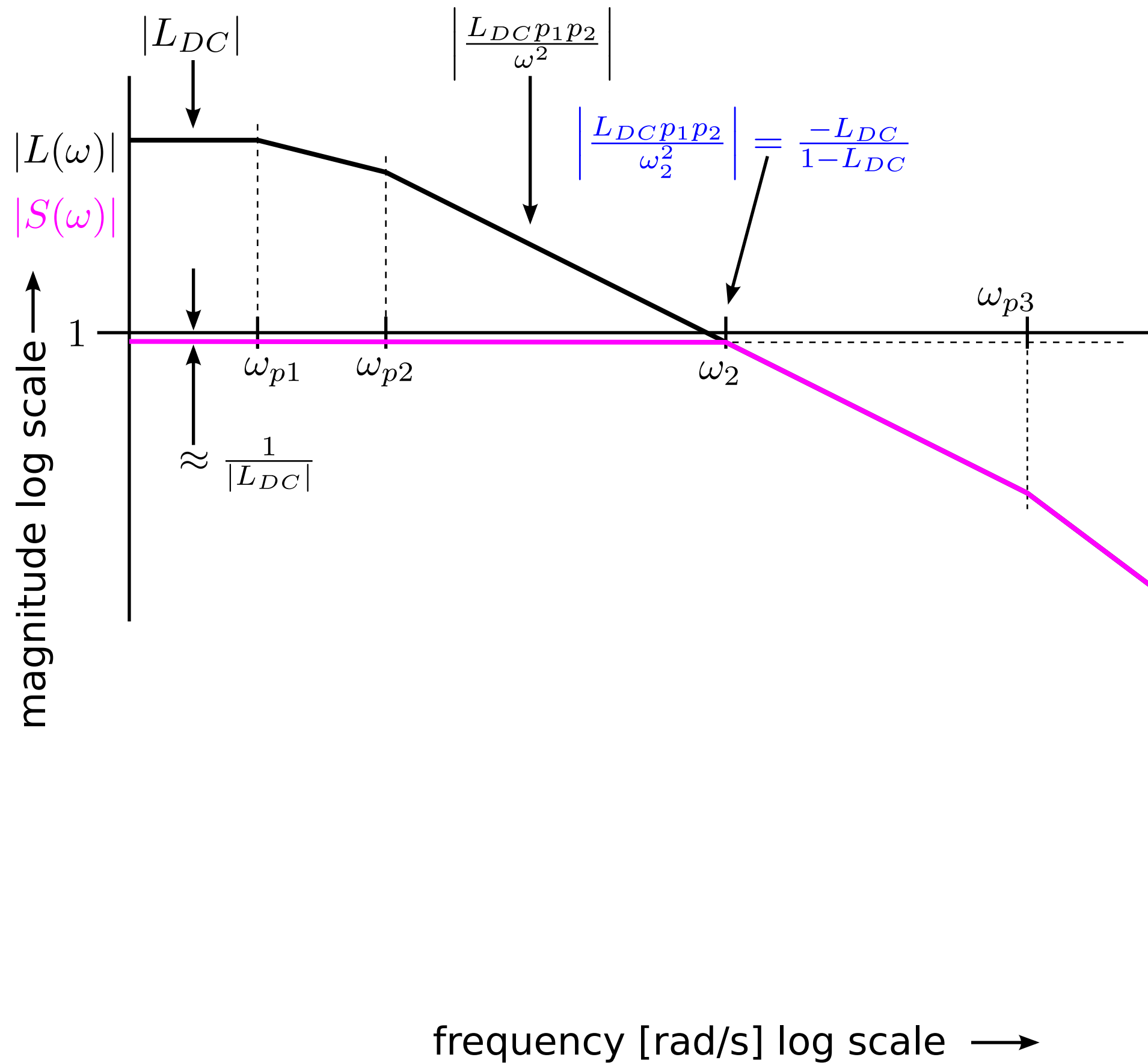
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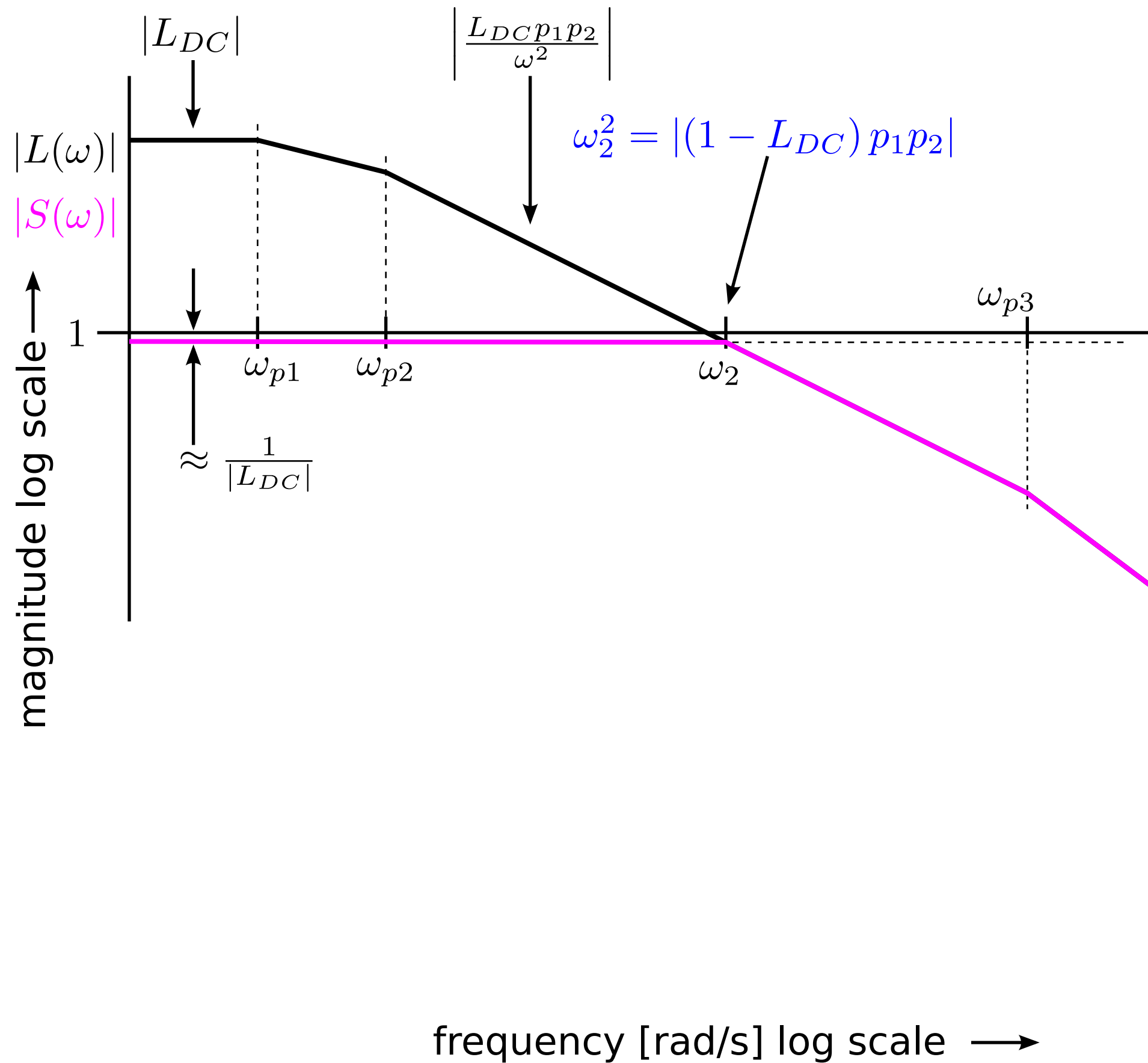
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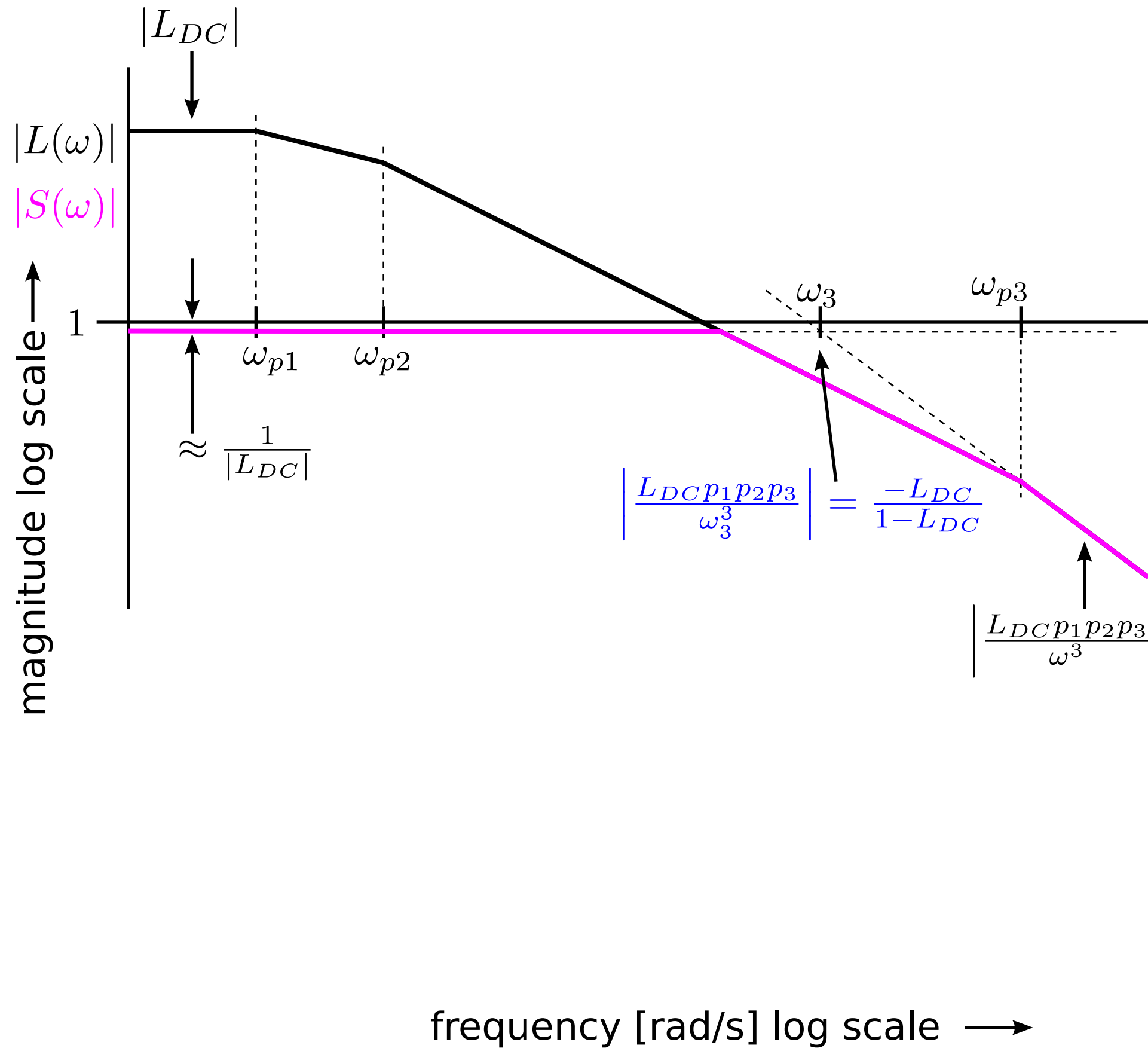
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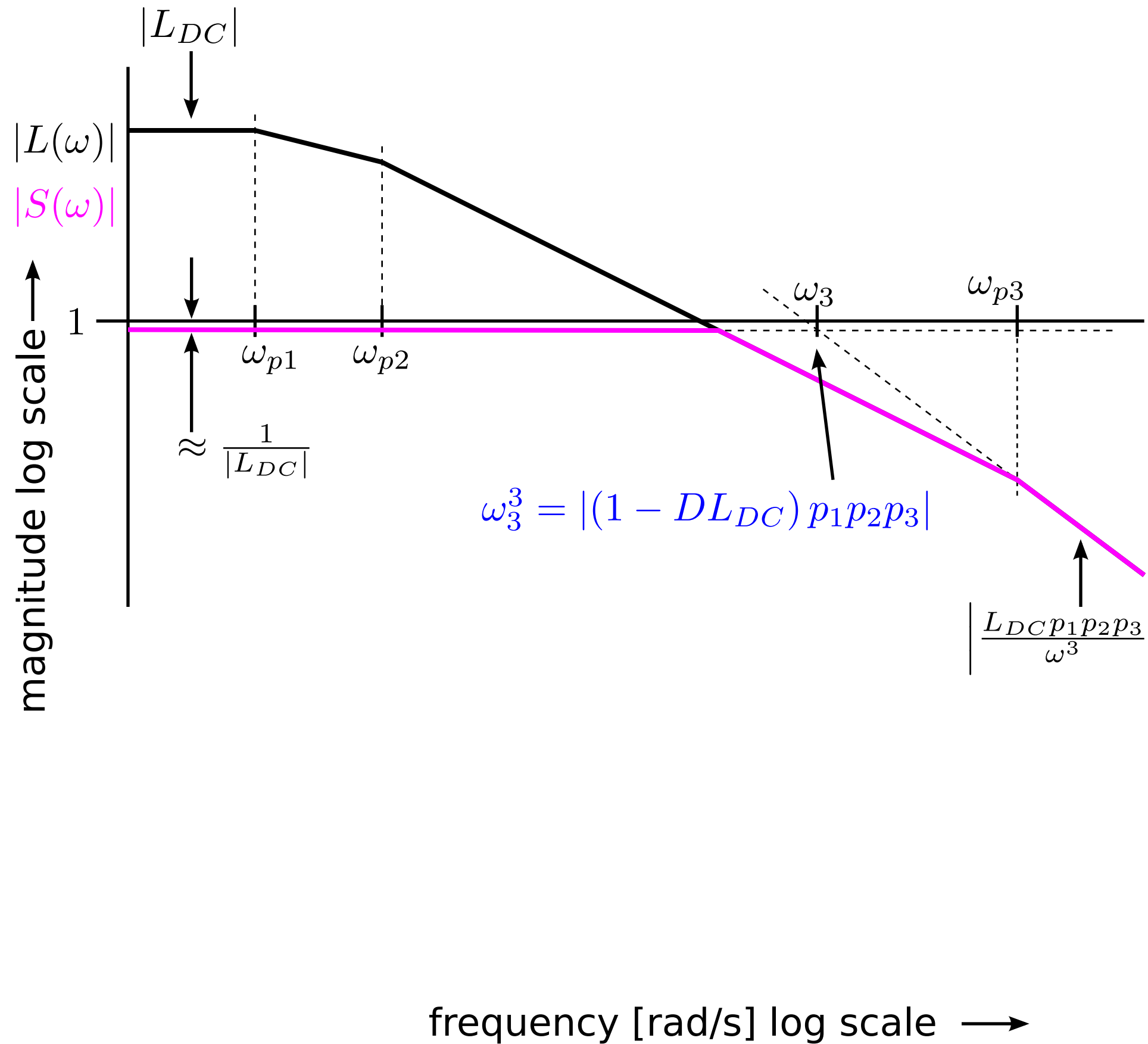
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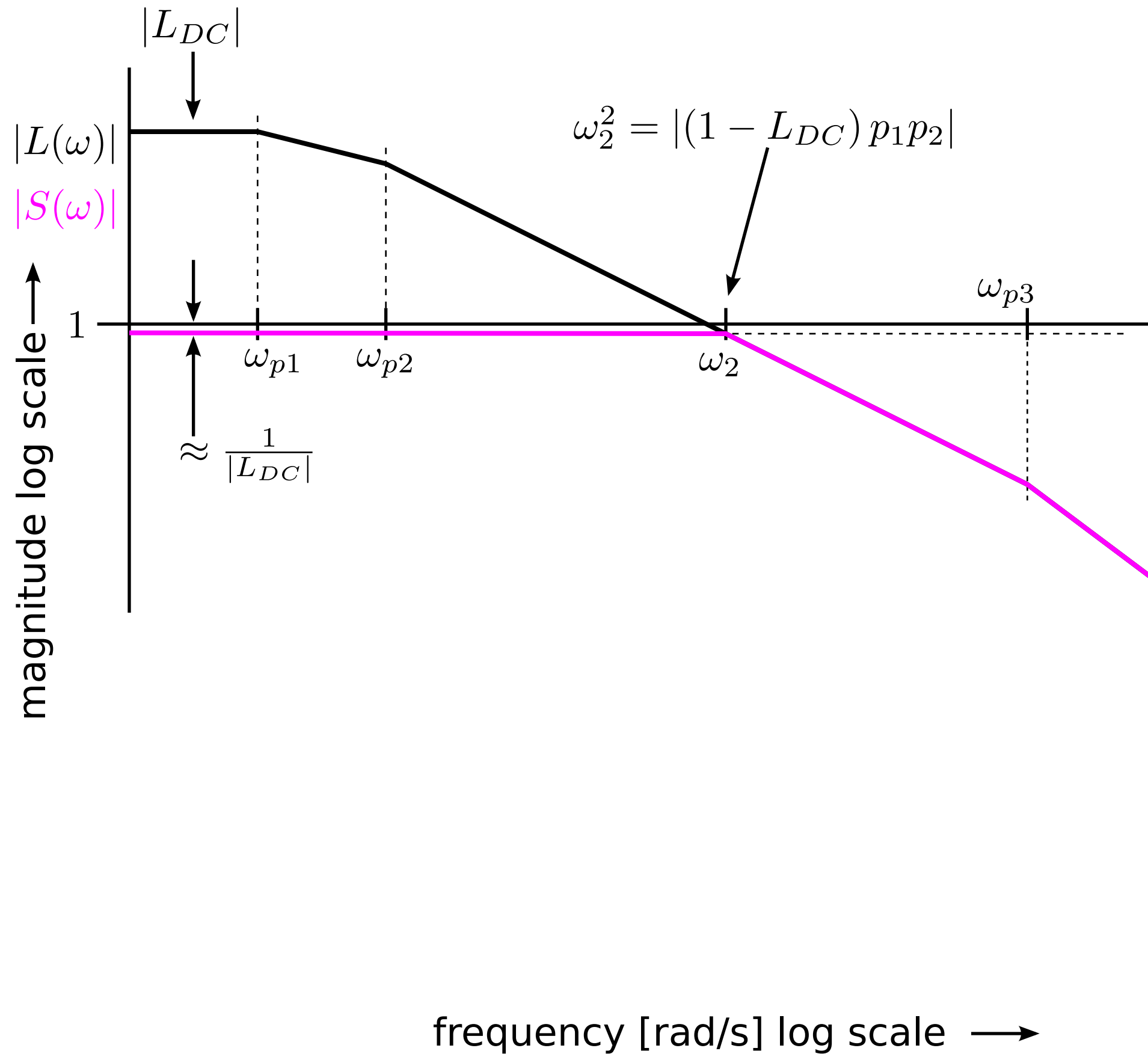
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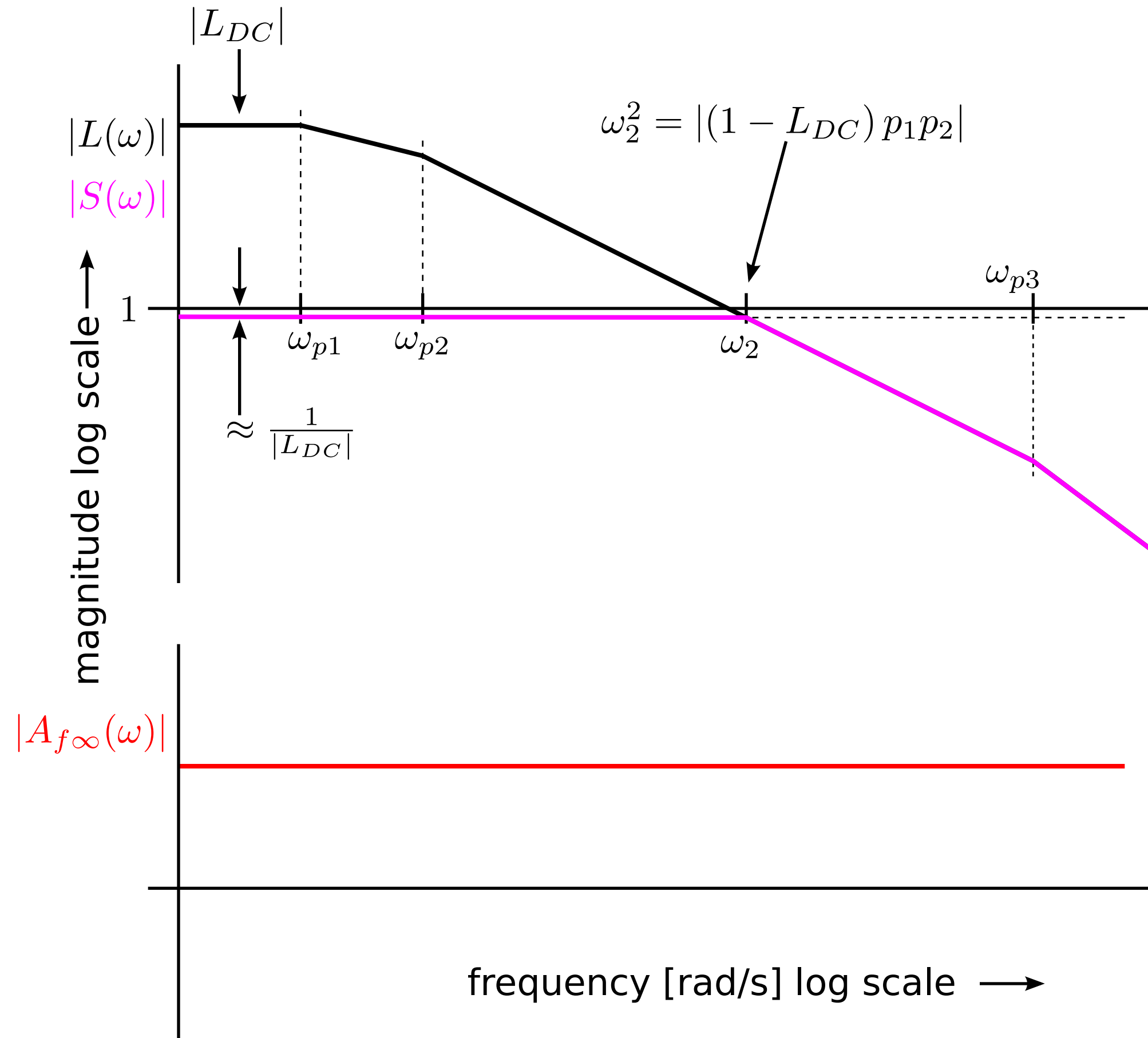


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$\text{—} |L(\omega)|$
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$\omega_2 < \omega_3 < \omega_1$

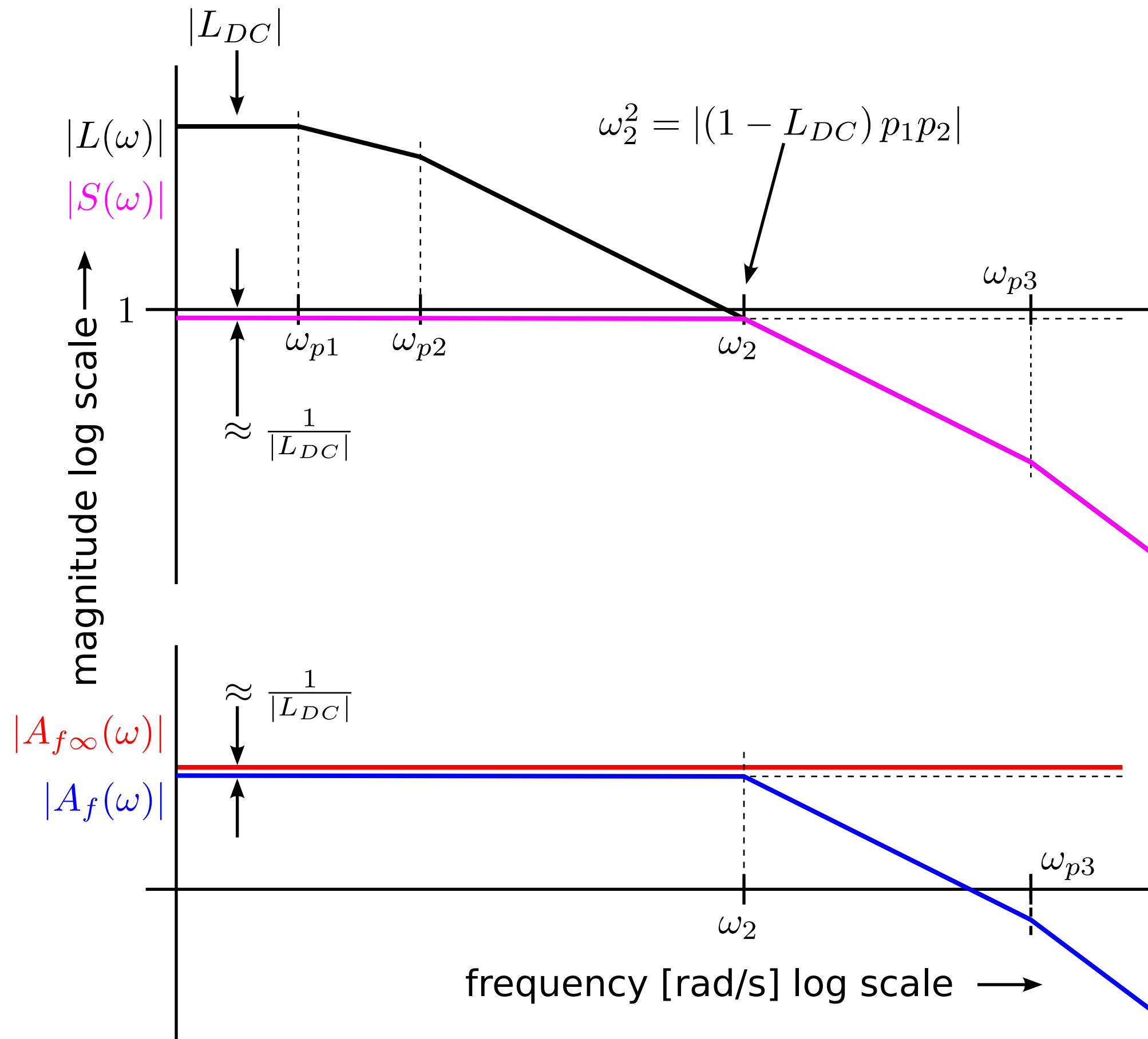
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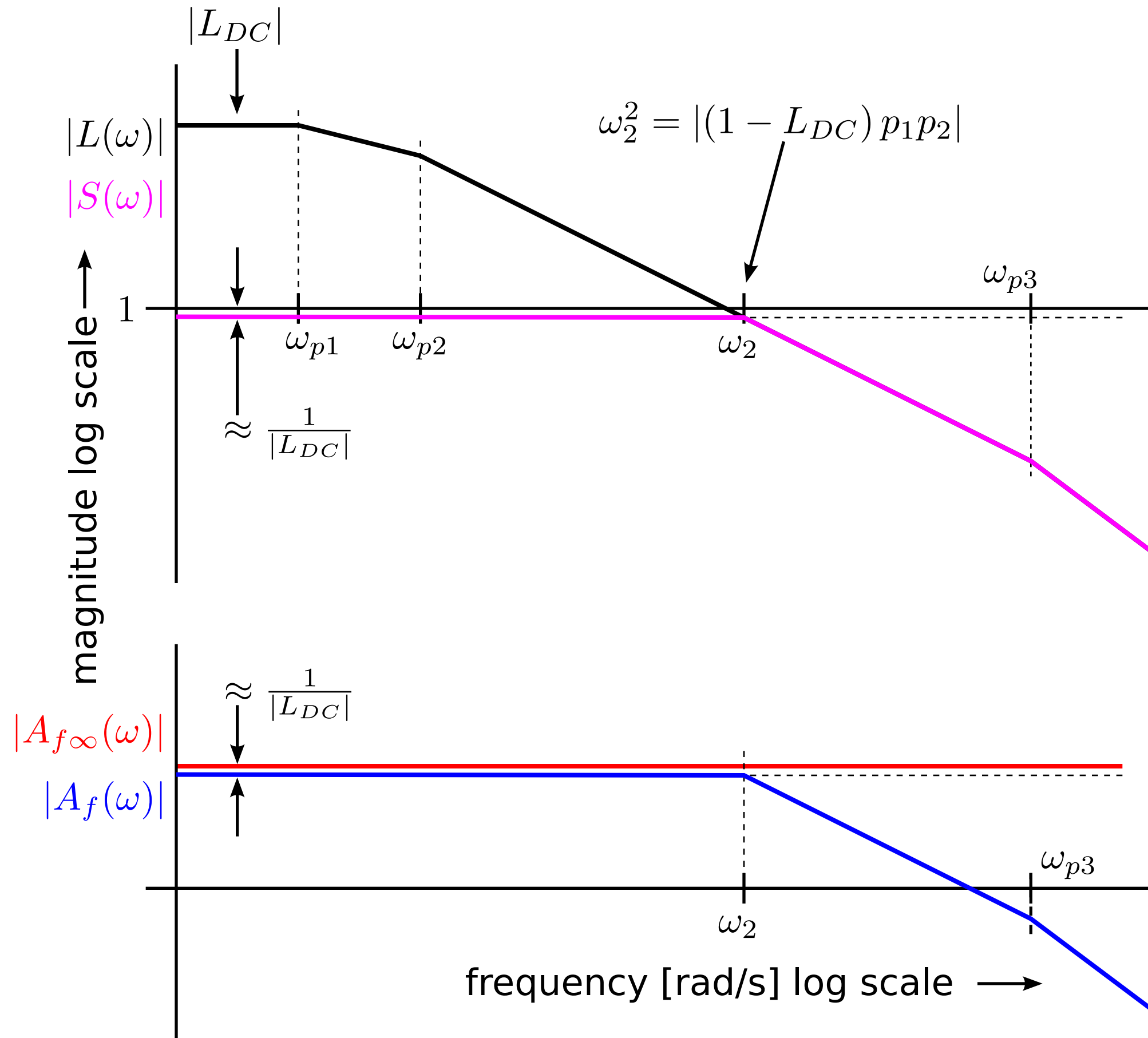
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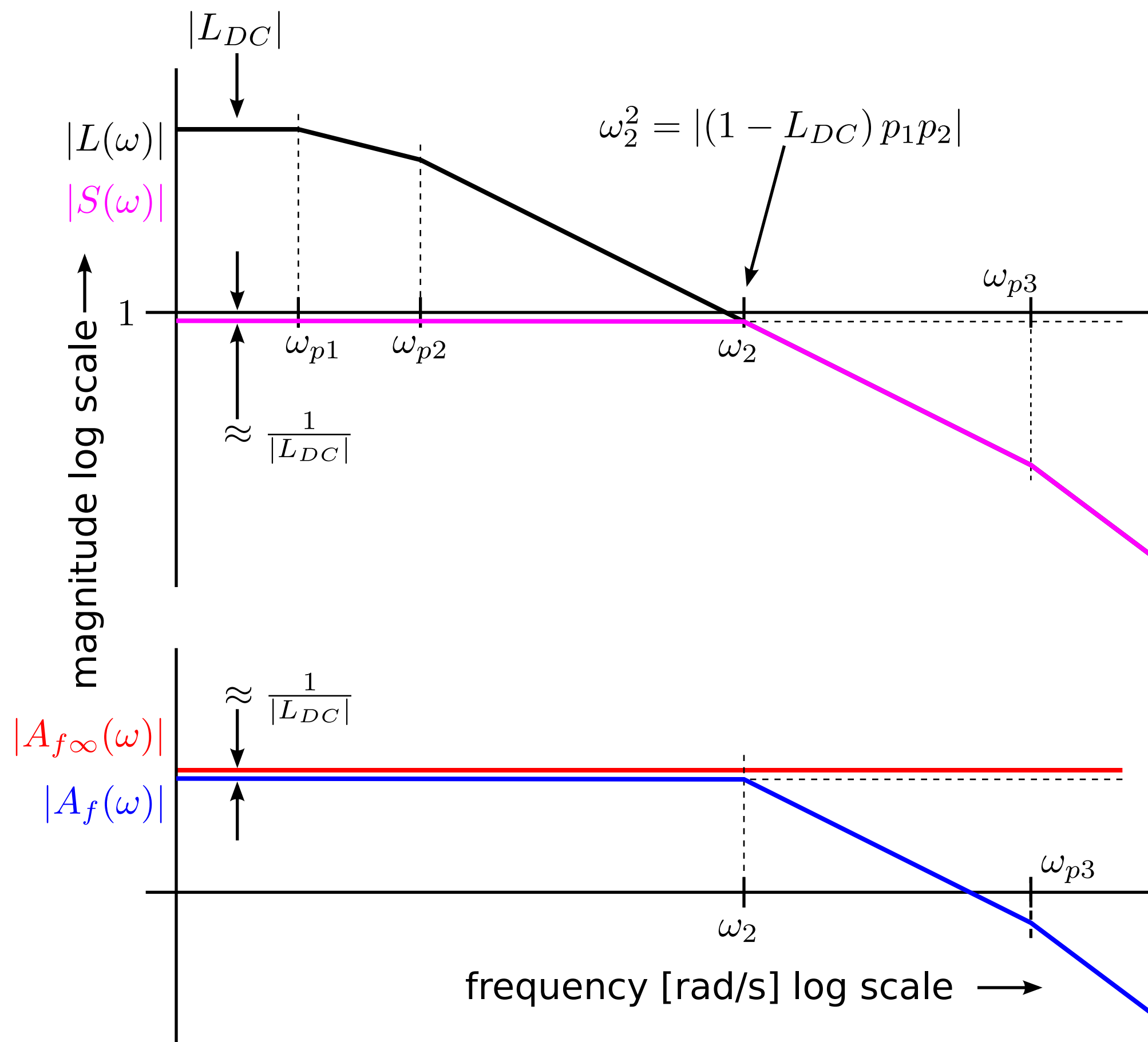


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Dominant and non-dominant poles



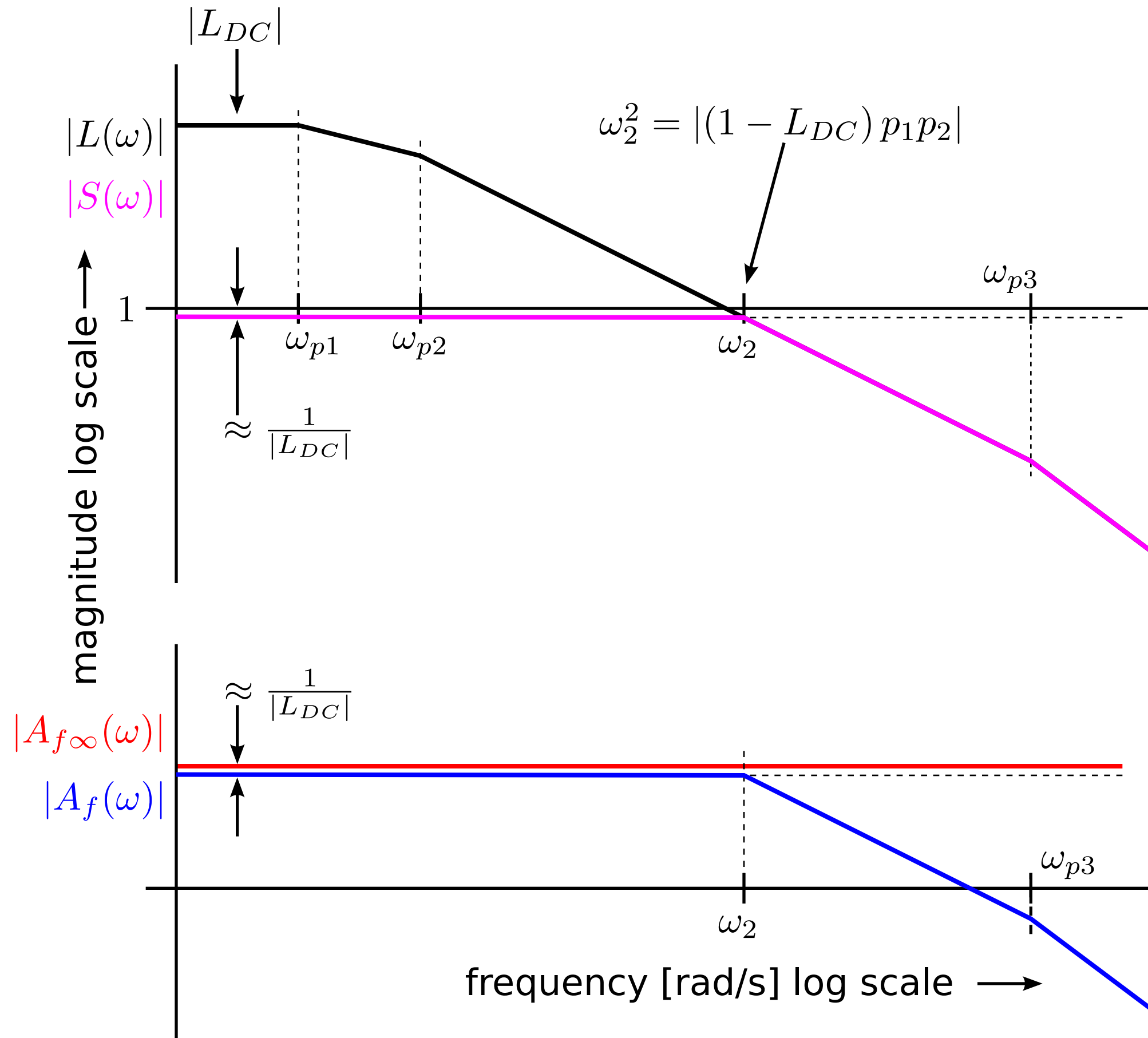
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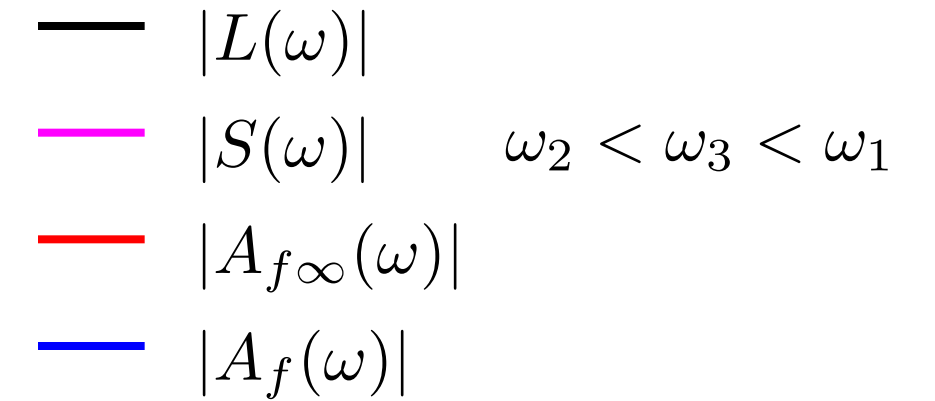
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Dominant and non-dominant poles



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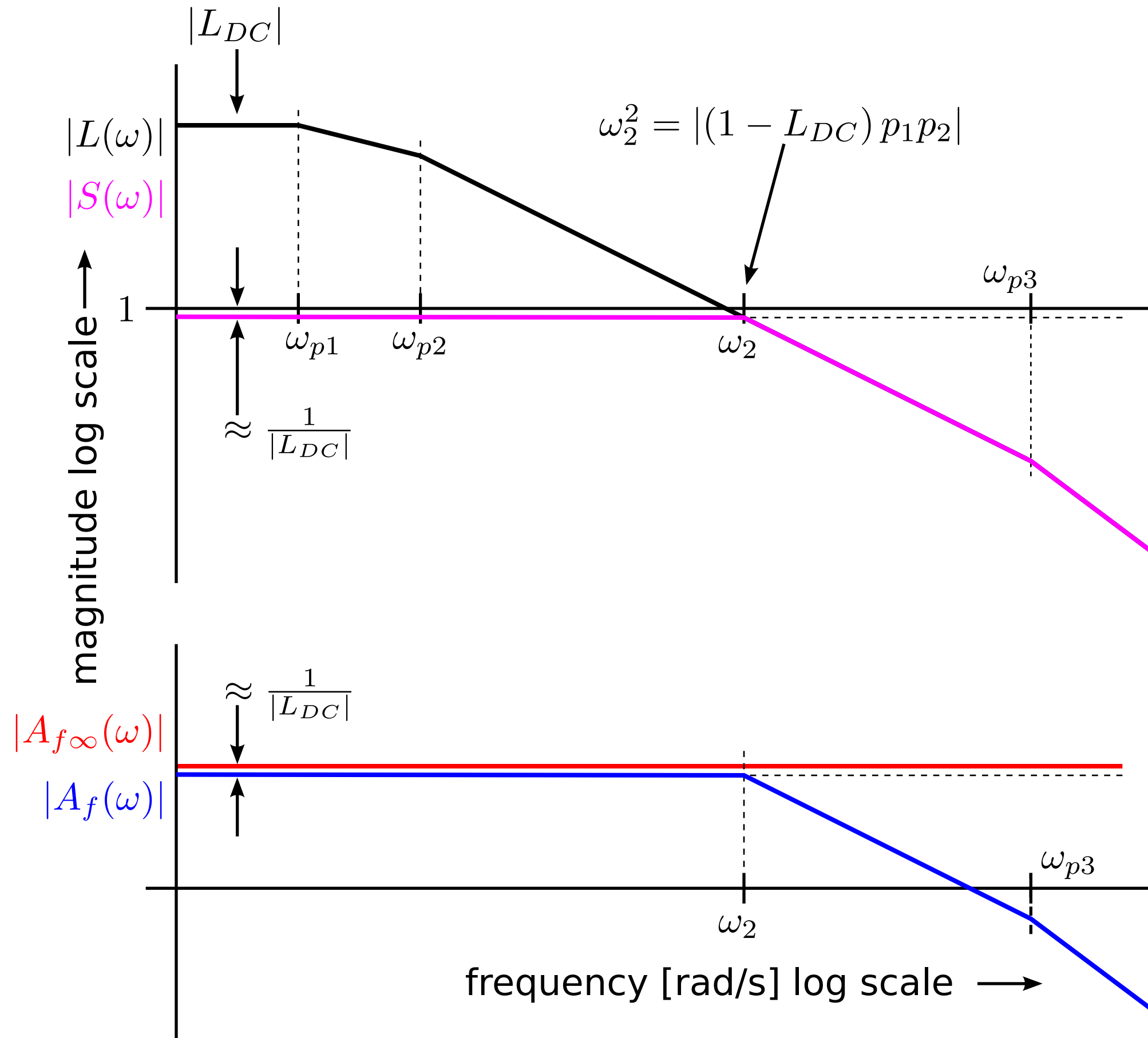


Dominant poles:
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Pole non-dominant if magnitude of loop gain at pole frequency smaller than unity

Dominant and non-dominant poles



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