

# **Structured Electronic Design**

EE3C11

Shannon (1948): channel capacity

*Anton J.M. Montagne*

The amount of information that can be handled by a system

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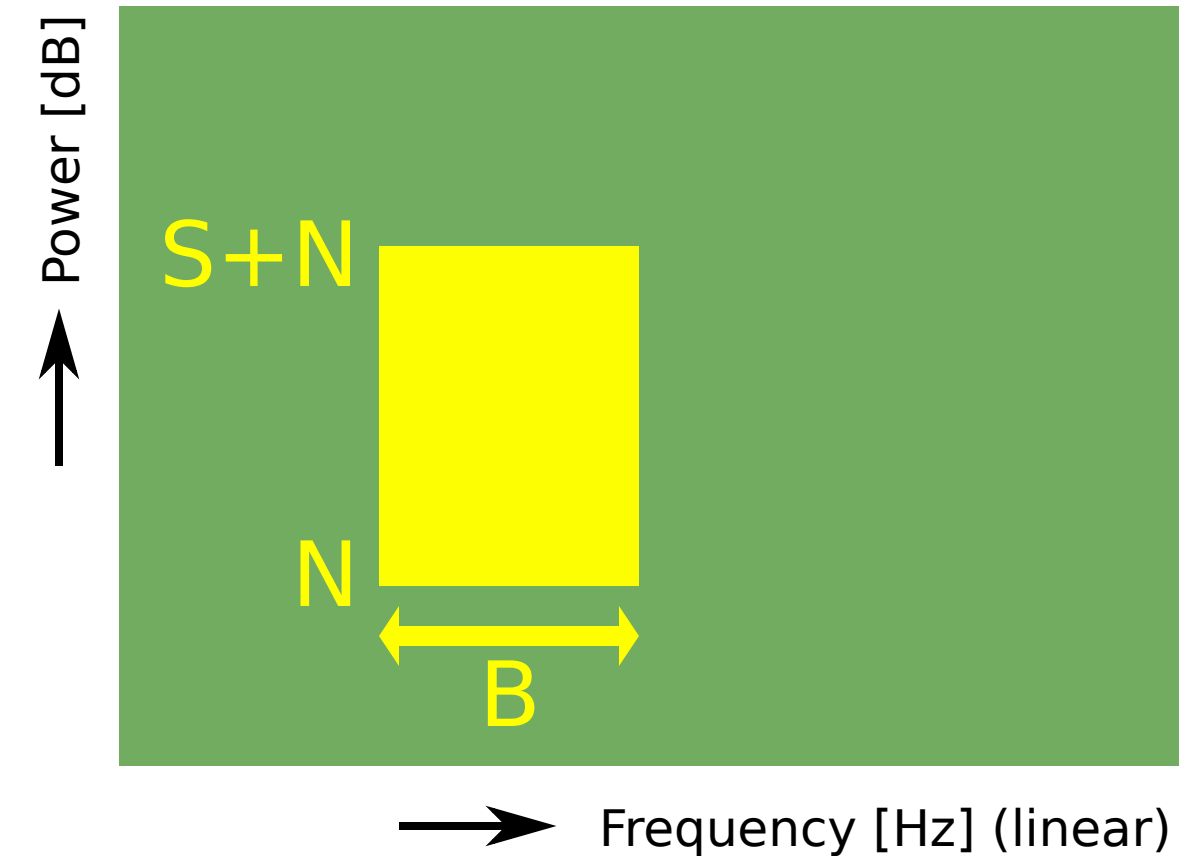
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## Spectrum analyser



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Spectrum analyser  
Area => dB/s

